









Designing the interaction regions of the upgrades of the LHC



Emilia Cruz





September 21, 2015







Bachelors degree:

National Autonomous University of Mexico, Science Faculty.





Academic Stays:







Project:

Studied resolution of the Cherenkov Camera of the CREAM (Cosmic Rays Energetics and Mass).





Master's degree:

National Autonomous University of Mexico, Institute of Physics.





Academic Stays:





• Project:

Study of two different resonances ρ and ϕ in proton-proton collisions.





PhD/ Marie Curie Fellowship







Academic Stays:



• Project:

Effects of high luminosity collisions in the upgrades of the large hadron collider.







Postdoc
 University of Oxford, JAI



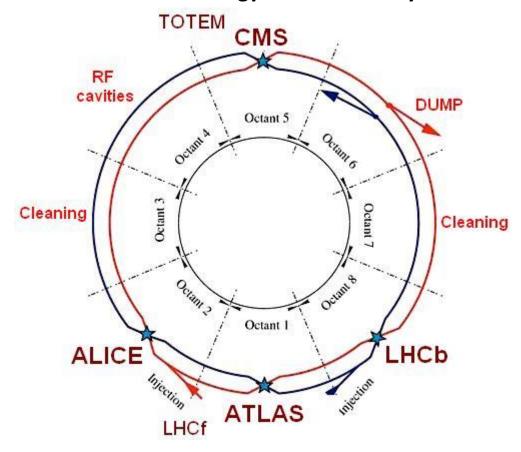


Project:

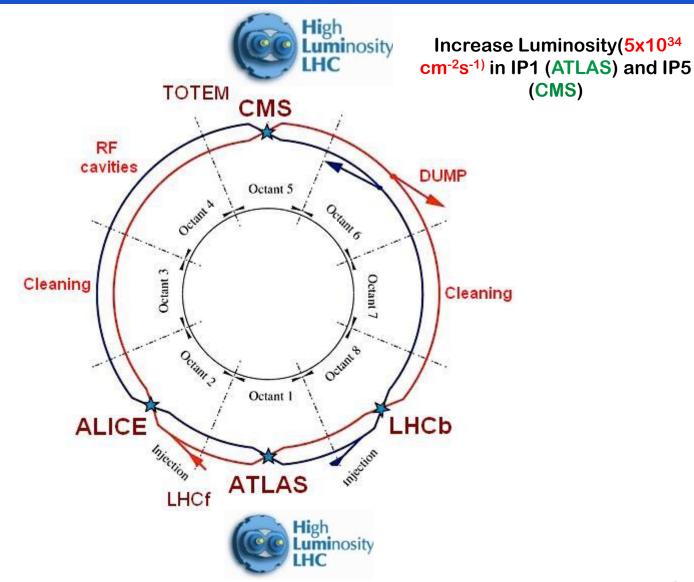
Contribute to the design of the IR optics for the FCC-hh project.

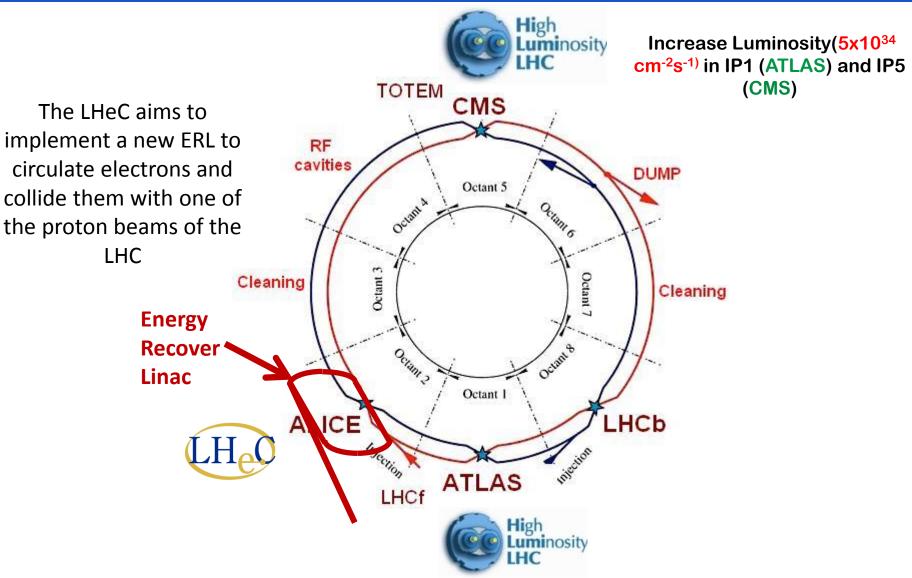


The LHC has been providing hadron collisions since 2009 taking particle physics to a new era of Energy and Luminosity.

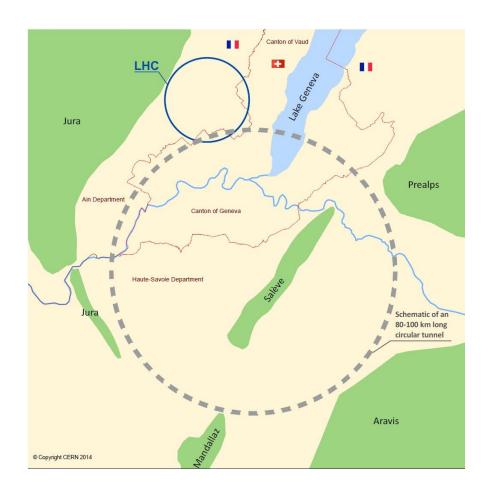


What are the next stages?





The FCC-hh project aims to construct a new 100 km tunnel and use the LHC as injector to have pp collisions with a center-of-mass energy up to 100 TeV.



Challenges in IR design

Designing an interaction region is an important part of the design of any particle collider. Beams are brought to a focus with small beam sizes and restrictions are given from both the accelerator and the detector.

Challenges in IR designs

Designing an interaction region is an important and challenging objective in the development of any particle collider. Beams are brought to a focus with small beam sizes and restrictions are given from both the accelerator and the detector.



Established design
High Beta functions in the IT
Do fringe fields have a bigger effect?

Challenges in IR designs

Designing an interaction region is an important and challenging objective in the development of any particle collider. Beams are brought to a focus with small beam sizes and restrictions are given from both the accelerator and the detector.



Established design
High Beta functions in the IT
Do fringe fields have a bigger effect?



New design in an IR design for a different type of collisions and range of energy. Can we increase the luminosity? Reduce the SR? Chromaticity Correction?

Challenges in IR designs

Designing an interaction region is an important and challenging objective in the development of any particle collider. Beams are brought to a focus with small beam sizes and restrictions are given from both the accelerator and the detector.



Established design
High Beta functions in the IT
Do fringe fields have a bigger effect?



New design in an IR design for a different type of collisions and range of energy. Can we increase the luminosity? Reduce the SR? Chromaticity Correction?



Flexibility in a design, find the best option.
Unprecedented energies



Interaction Region

General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.





Interaction Region

General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



$$L = \frac{1}{4\pi e} \frac{N_{b,p}}{\varepsilon_p} \frac{1}{\beta_p^*} I_e H_{hg} H_D$$



Interaction Region

General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



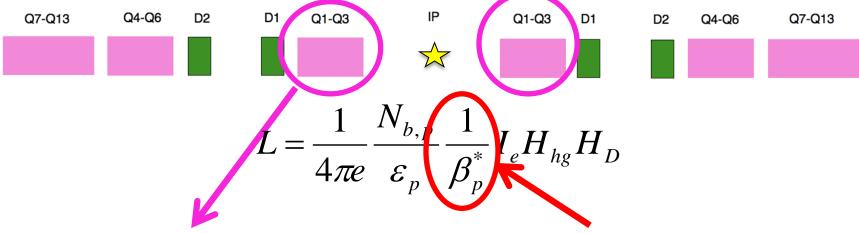
$$L = \frac{1}{4\pi e} \frac{N_{b,l}}{\varepsilon_p} \left(\frac{1}{\beta_p^*} \right) I_e H_{hg} H_D$$

Luminosity inversely proportional to the size of the beam of the interaction point.



Increasing Luminosity

General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



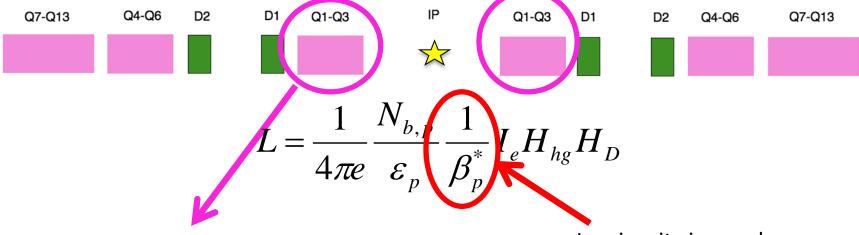
FOCUSING. QUADRUPOLES. Implementation of new inner triplet Q1-Q3

Luminosity inversely proportional to the size of the beam of the interaction point.



Increasing Luminosity

General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



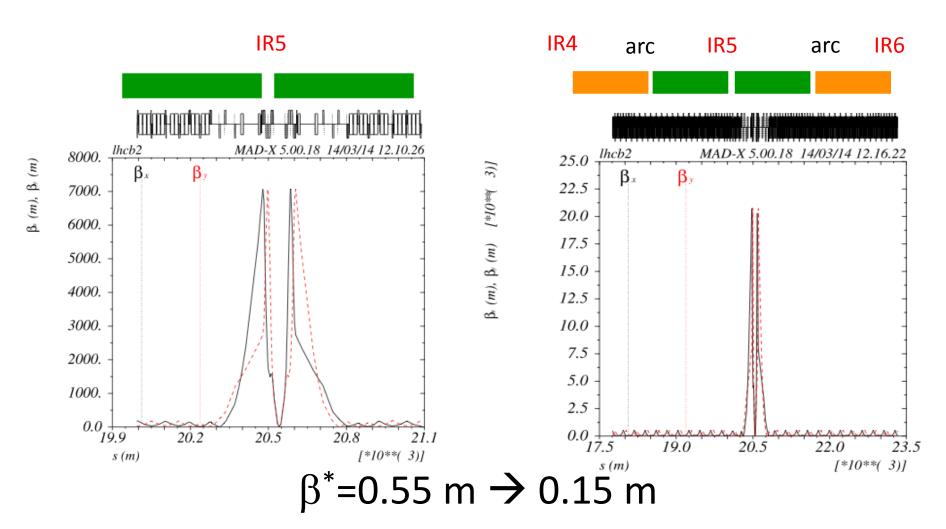
FOCUSING. QUADRUPOLES. Implementation of new inner triplet Q1-Q3

Luminosity inversely proportional to the size of the beam of the interaction point.

SEVERE LIMITATIONS

- 1. Quadrupole apertures
- 2. Quadrupole strengths
- 3. Efficiency of the chromatic correction

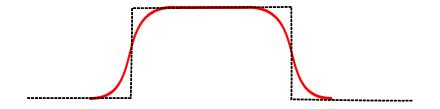
Achromatic Telescopic Squeezing Scheme (ATS) HL-LHC



Increases Beta function in location of sextupoles in arc

$$\xi_{x,y}^{S} = -\frac{1}{4\pi} \oint \mp \beta_{x,y}(s) S(s) D_x(s) ds$$

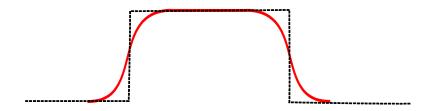




Challenges

- Previous studies have not taken into account the fringe fields. In particular dynamic aperture studies have been done with a thin version of the lattice.
- New quadrupoles have higher gradients and higher apertures.
 Fringe fields effects are expected to be more significant.

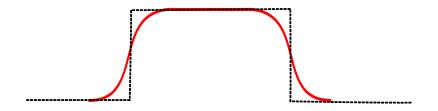




Fringe Field Studies:

- 1. Model Fringe Fields.
- 2. Obtain Transfer Maps
- 3. Implement fringe field element using SAMM code



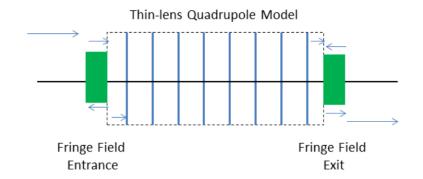


Fringe Field Studies:

- Model Fringe Fields.
- 2. Obtain Transfer Maps
- Implement fringe field element using SAMM code



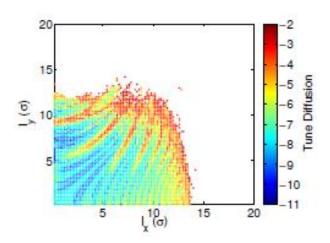
Thin-lens Quadrupole Model

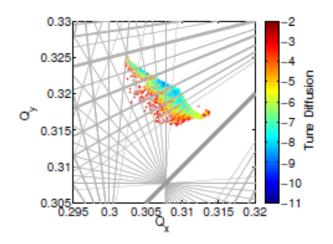




Measure effects of fringe fields via Frequency Map Analysis (FMA): Studying variation of the tunes over a certain number of turns.

$$D = \log_{10} \sqrt{(\Delta Q_x)^2 + (\Delta Q_y)^2}.$$

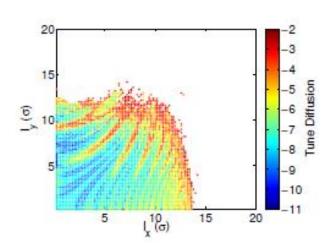


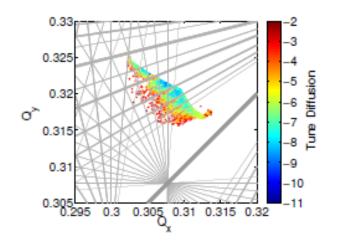




Measure effects of fringe fields via Frequency Map Analysis (FMA): Studying variation of the tunes over a certain number of turns.

$$D = \log_{10} \sqrt{(\Delta Q_x)^2 + (\Delta Q_y)^2}.$$

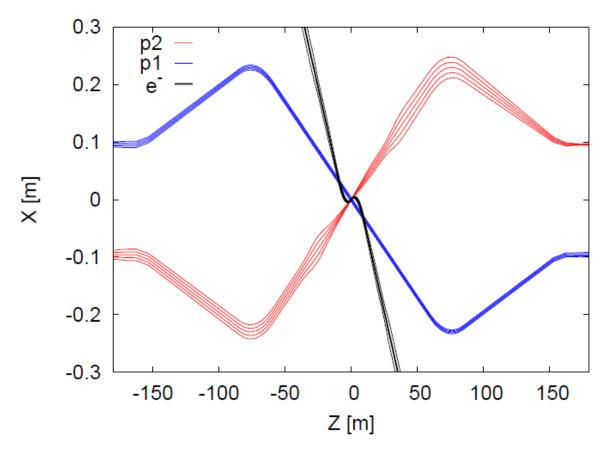




Results of fringe fields: change in dynamics for particles with large dynamic aperture, but no reduction in dynamic aperture (stable zone).



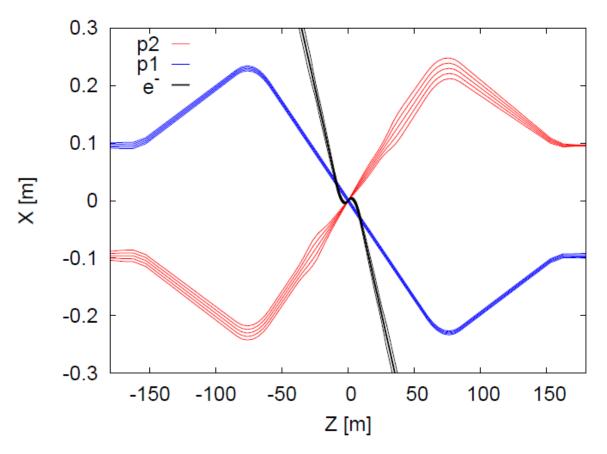
Focus one of the proton beams and collide it with the electron beam while the other proton beam bypasses the interaction.



Non-focused proton beam through free field aperture of (new) inner triplet. Focus proton beam 2 \rightarrow minimize β^* (current value in IR2 10 m)



Focus one of the proton beams and collide it with the electron beam while the other proton beam bypasses the interaction.

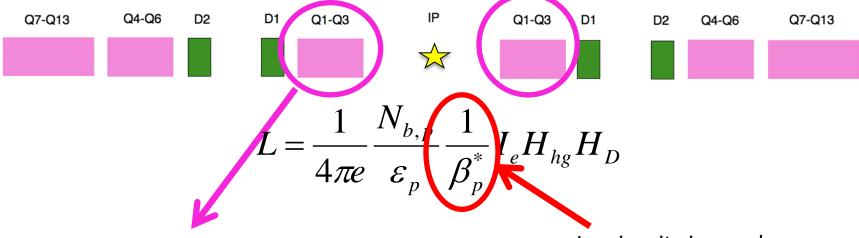


Non-focused proton beam through free field aperture of (new) inner triplet.

Focus proton beam 2 \rightarrow minimize β^* (current value in IR2 10 m)



General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



FOCUSING. QUADRUPOLES. Implementation of new inner triplet Q1-Q3

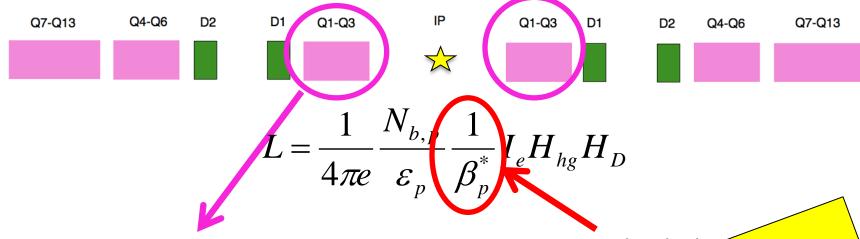
Luminosity inversely proportional to the size of the beam of the interaction point.

SEVERE LIMITATIONS

- 1. Quadrupole apertures
- 2. Quadrupole strengths
- 3. Efficiency of the chromatic correction



General design of the IR in the LHC consist of 26 quadrupoles and 2 separation/recombination dipoles.



FOCUSING. QUADRUPOLES. Implementation of new inner triplet Q1-Q3

Repeat procedure

of HL.

*New dipoles

*New free-field aperture

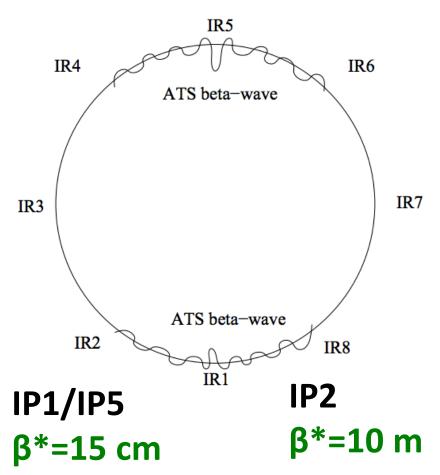
*Magnets with free-field aperture

SEVERE

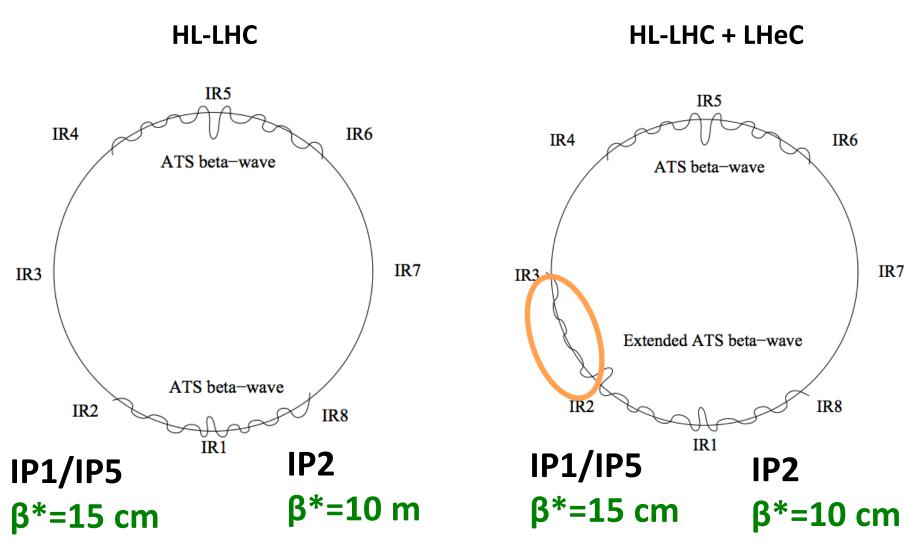
- Quadru
- Quadrup
- Efficiency of the c

Achromatic Telescopic Squeezing Scheme (ATS) HL-LHC+LHeC

HL-LHC



Achromatic Telescopic Squeezing Scheme (ATS) HL-LHC+LHeC





Flexibility of the Design

	Disadvantages	Advantages	Cases found
Minimize β*	Increase Chromatic Aberrations	Increase Luminosity	L*=10-20 m With β* fixed at 10 cm
Increase L*	Increase Chromatic Aberrations	Minimize Synchrotron Radiation	β*=5-10, 20 cm With L* fixed at 10 m

Challenges Find the right balance between competing criteria. Where is the compromise?

Further studies, chromatic correction, synchrotron radiation, tracking studies.



• Optical Designs.

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20

$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

- Chromatic Correction
- Require nominal Luminosity
- Tracking studies
- SR and magnet design



• Optical Designs.

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20
$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

Chromatic Correction

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18,
$$\mbox{1}\mbox{9}$$
, $\mbox{2}\mbox{0}$
 β *= 5, 6, 7, 8, 9, 10, 20

- Require nominal Luminosity
- Tracking studies
- SR and magnet design



L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20

$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18,
$$\times$$
9, \times 0 β *= 5, 6, 7, 8, 9, 10, 20

Require nominal Luminosity

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 1%, 20
$$\beta^* = 35, 35, 35, 35, 35, 35$$

- Tracking studies
- SR and magnet design



L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20

$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18,
$$\times$$
9, \times 0 β *= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 18, 18, 18, 18, 20
$$\beta^* = 5 \%$$
, $\%$, $\%$, $\%$, 10, 20

SR and magnet design



L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20

$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18,
$$\times$$
9, \times 0 β *= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 12, 20
$$\beta^* = 35, 35, 35, 35, 35, 35, 35$$

L* = 10, 11, 12, 13, 14, 15, 18, 18, 18, 18, 20
$$\beta^* = 5 \%$$
, $\%$, $\%$, $\%$, 10, 20

L* = 10, 11, 12, 13, 14, 15,
$$\frac{1}{10}$$
6, 1 $\frac{1}{10}$ 7, $\frac{1}{10}$ 9, $\frac{1}{10}$ 9 $\frac{1}{10$



L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20

$$\beta$$
*= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18,
$$\times$$
9, \times 0 β *= 5, 6, 7, 8, 9, 10, 20

L* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 1
$$\mbox{3}$$
, 2 $\mbox{3}$, $\mbox{3}$

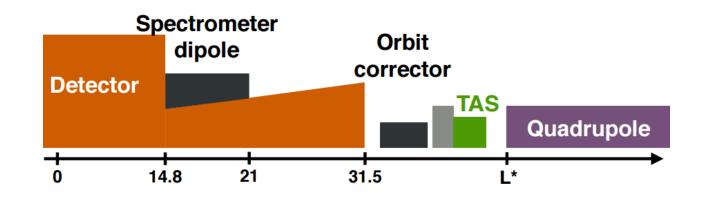
L* = 10, 11, 12, 13, 14, 15, 18, 18, 18, 18, 20
$$\beta^* = 5 \%$$
, $\%$, $\%$, $\%$, 10, 20

$$L^* = 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 10$$

 $\beta^* = 5, 6, 7, 8, 9, 10, 20$



FCC IR



Choose parameters:

Options L*= 36, 45 and 61 m. L*= 45 good compromise between detector requirements and keeping inner triplet "short". **Options \beta*=** 1,1 m (Baseline –not an issue), 0.3 m (Ultimate, reachable), 0.05 m limited by beam stay clear limitations.

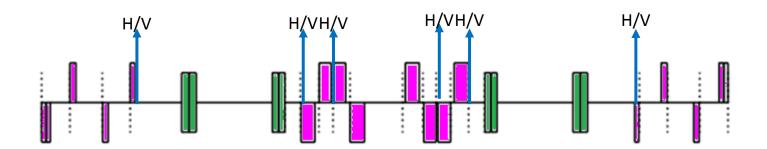
Radiation load in the quadrupoles is the main driver. Shielding required inside the quadrupole reduces β^* reach.



FCC Correction Scheme

Objectives of the correct Scheme:

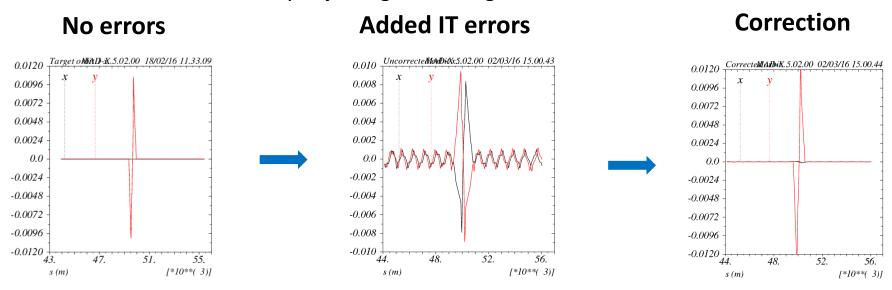
Control possible misalignments of the quadruples, field/tilt errors of the interaction region (in particular the IT, D1 and D2) while maintaining the crossing angle.





FCC Correction Scheme

The ideal corrected orbit would restore the original orbit in the presence of alignment errors by adjusting the strength of the correctors.



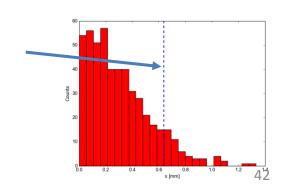
7/7/2016 41

FCC Correction Scheme

The ideal corrected orbit would restore the original orbit in the presence of alignment errors by adjusting the strength of the correctors.

Correction Added IT errors No errors Target o MiAD-X.5.02.00 18/02/16 11.33.09 Uncorrecte MADiXx5.02.00 02/03/16 15.00.43 CorrecteMAIDiK.5.02.00 02/03/16 15.00.44 0.008 0.0096 0.0096 0.00720.006 0.00720.00480.0040.0048 0.0024 0.002 0.0024 0.0 0.0 -0.002-0.0024-0.0024-0.0048 -0.004-0.0048-0.0072-0.006-0.0072-0.0096-0.008-0.0096 -0.0120 -0.010 -0.012047. 51. 55. 48. 52. 48. 52. [*10**(3)] [*10**(3)] s(m)s(m)[*10**(3)]

- 1. Calculate maximum orbit deviation in IR after correction.
- Repeat for 500 seeds
- 3. Calculate value of the maximum orbit deviation for which 90% of the seeds are included (x_{90})



Conclusions

- Designing an interaction region is an important objective of any new accelerator and often compromises must be made.
- The upgrades of the large hadron collider comes with further challenges, mainly driven by the unprecedented ranges of energy and luminosity.
 - Fringe Fields in the HL-LHC.
 - LHeC IR accomodated in previous IR2.
 - Correction Scheme for FCC.

7/7/2016 43

Thank you!

e.cruz-alaniz@liverpool.ac.uk